Adapting While Learning: Grounding LLMs for Scientific Problems with Intelligent Tool Usage Adaptation



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Background

Large Language Models (LLMs) demonstrate promising capabilities in solving simple scientific problem like [7]: When you drop a ball from rest it accelerates downward at 9.8 m/s². If you instead throw it downward assuming no air resistance its acceleration immediately after leaving your hand is (A) 9.8 m/s^2 ×××× (B) more than 9.8 m/s^2

- (C) less than 9.8 m/s^2
- (D) Cannot say unless the speed of throw is given.

However, they often produce hallucinations for **complex** one like:

Question: How much will the temperature of Ewo in 2068 under ssp126 change if the emission of CO2 is decreased by -25%? (A) -0.13081711 (B) -0.16986465 (C) -0.09639389 (D) -0.05745936 **Correct Answer: B**

Research Question: How to Align LLMs with the physical world for scientific problems?

Existing Approaches:

Fine-tune the LLM with data from human annotation and stronger



Integrate LLMs with external tools [3] 2.

Mind's Eye



MuJoCo Simulation

Simulation based Prompts Injection

Motivation

Fine-tune an LLM:

Requires massive data Costly in scientific settings Prone to hallucination

Efficient inference Ideal for simpler problems

Employ LLM as Agent:

Costly emulation Over-reliance on provided tools Fail to internalize knowledge



Reliable solutions by tools Suitable for complex problems

? Can we combine advantages from both approaches?

Our method: Adapting while Learning



Pipeline of Our Method: (a) World Knowledge Distillation, (b) Tool Usage Adaptation, (c) Model improvement visualization.

Our method: World Knowledge Distillation (Learning)

Question: How much will the temperature of Ewo in 2068 under ssp126 change if the emission of CO2 is decreased by -25%? (A) -0.13081711 x(B) -0.16986465 (C) -0.09639389 (D) -0.05745936 **Correct Answer: B** Assistant: Call query lat and lon with parameters {'city name': 'Ewo'} Feedback from query_lat_and_lon: latitude: -0.8742, longitude: 14.8167. Assistant: Call diy_greenhouse with parameters {'longitude': 14.8167, 'latitude': -0.8742, 'setting': 'ssp126', 'year': 2068. 'delta_CO2': -0.25. 'delta_CH4': 0} Feedback from div_greenhouse: The temperature is 27.52265167236328. Assistant: Call future_temperature with parameters {'longitude': 14.8167, 'latitude': -0.8742, 'year': 2068, $\{I_e\}_t$ 'setting': 'ssp126'} Feedback from future_temperature: The temperature is 27.692516326904297. Assistant: Call answer_question with parameters {'thought': 'The temperature for Ewo in 2068 under the ssp126 scenario with no changes in emissions is 27.692516326904297. With a 25% decrease in CO2 emissions, the temperature is 27.52265167236328. The difference is 27.692516326904297 - 27.52265167236328 =0.16986465454101562.', 'answer': 'B', 'sloving_process': '1. Retrieved the latitude and longitude of Ewo. 2. Predicted the temperature for 2068 under the ssp126 scenario with a 25% decrease in CO2 emissions. 3. Retrieved the temperature for 2068 under the ssp126 scenario with no changes in emissions. 4. Calculated the difference between the two temperatures to find the change.'} To calculate the temperature change in Ewo by 2068 under the ssp126 scenario with a 25% decrease in CO₂ emissions, we first identify Ewo's location at latitude -0.8742 and longitude 14.8167. The temperature for Ewo in 2068 under the ssp126 scenario with no changes in emissions is determined to be 27.6925°C. With a 25% decrease in CO₂ emissions, the temperature is calculated to be 27.5227°C.

The difference between the two temperatures is:

y

 $27.6925^{\circ}C - 27.5227^{\circ}C = 0.1699^{\circ}C$

This matches option B from the given choices. Therefore, the answer is B.

1. LLM generates the solution for a problem with tools:

$$y \sim \pi(\cdot \mid x, \{I_e\}_t, P_f)$$

2. Ground the LLM with:

 $J_{\text{WKD}}(\theta, \mathcal{D}) = -\mathbb{E}_{x \sim \mathcal{D}, y \sim \pi(\cdot \mid x, \{I_e\}_t, P_f)} \left[\log \pi_{\theta}(y \mid x, P_n)\right]$

3. For open-ended problems, we use tools to rank different answers and train LLMs with DPO.

Our method: World Knowledge Distillation (Learning)



Our method: Tool Usage Adaptation (Adapting)

 $t \sim \pi(\cdot | x, \mathbf{E}, P_f)$



{'name': 'answer_question', 'parameters': {'thought': 'I can answer the problem directly.', 'answer': "To calculate the temperature change in Ewo by 2068 under the ssp126 scenario with a 25% decrease in CO₂ emissions, we first identify Ewo's location at latitude -0.8742 and longitude 14.8167. The temperature for Ewo in 2068 under the ssp126 scenario with no changes in emissions is determined to be 27.6925°C. With a 25% decrease in CO₂ emissions, the temperature is calculated to be 27.5227°C. The difference between the two temperatures is:27.6925°C - 27.5227°C = 0.1699°C. This matches option B from the given choices. Therefore, the answer is **B**."}

Assistant: Call query_lat_and_lon with parameters {'city_name': 'Ewo'} Feedback from guery_lat_and_lon: latitude: -0.8742, longitude: 14.8167.

Assistant: Call diy_greenhouse with parameters {'longitude': 14.8167, 'latitude': -0.8742, 'setting': 'ssp126', 'year': 2068, 'delta_CO2': -0.25, 'delta_CH4': 0}

Feedback from diy_greenhouse: The temperature is 27.52265167236328.

Assistant: Call future_temperature with parameters {'longitude': 14.8167, 'latitude': -0.8742, 'year': 2068, 'setting': 'ssp126'}

Feedback from future_temperature: The temperature is 27.692516326904297.

Assistant: Call answer question with parameters {'thought': 'The temperature for Ewo in 2068 under the ssp126 scenario with no changes in emissions is 27.692516326904297. With a 25% decrease in CO2 emissions, the temperature is 27.52265167236328. The difference is 27.692516326904297 - 27.52265167236328 = 0.16986465454101562.', 'answer': 'B', 'sloving_process': '1. Retrieved the latitude and longitude of Ewo. 2. Predicted the temperature for 2068 under the ssp126 scenario with a 25% decrease in CO2 emissions. 3. Retrieved the temperature for 2068 under the ssp126 scenario with no changes in emissions. 4. Calculated the difference between the two temperatures to find the change.'}

 Evaluates the LLMs on a dataset and partition the questions into two subsets: Deasy and Dhard.

2. Set different alignment targets for Deasy and Dhard:

$$M_{\text{Easy}}(heta, \mathcal{D}) = -\mathbb{E}_{x \sim \mathcal{D}, y \sim \pi(\cdot \mid x, \{I_e\}_t, P_f)} \log \pi_{\theta}(y \mid x, \mathcal{E}, P_i)$$

$$J_{\text{Hard}}(\theta, \mathcal{D}) = -\mathbb{E}_{x \sim \mathcal{D}, t \sim \pi(\cdot \mid x, \text{E}, P_f)} \log \pi_{\theta}(t \mid x, \text{E}, P_i).$$

3. Train the model for both easy and hard problems with different targets:

$$J_{\text{TUA}}(\theta, \mathcal{D}_{\text{easy}}, \mathcal{D}_{\text{hard}}) = \lambda J_{\text{Easy}}(\theta, \mathcal{D}_{\text{easy}}) + (1 - \lambda) J_{\text{Hard}}(\theta, \mathcal{D}_{\text{hard}})$$

Our method: Adapting while Learning

$$J_{\text{Mix}}(\theta, \mathcal{D}, \mathcal{D}_{\text{easy}}, \mathcal{D}_{\text{hard}}) = \alpha J_{\text{WKD}}(\theta, \mathcal{D}) + (1 - \alpha) J_{\text{TUA}}(\theta, \mathcal{D}_{\text{easy}}, \mathcal{D}_{\text{hard}}),$$

Knowledge acquired under one scenario (with or without available tools) does not readily transfer to another[4].

We propose a mixed loss that simultaneously considers both WKD and TUA objectives.





Experiment: Datasets

Public Datasets: MATH[5], SciBench[6]

Our Custom-Created Datasets: Mujoco, PDE, Climate, Epidemiology

(a) Question Generation Pipeline



(b) Demo Questions

		Mujoco
ک _',ک		In a physics laboratory, a double pendulum
\square	QUIPO	experiment is set up with the following
	R R	parameters: {{parameters}}
N P	1 Son	How does the position of the first pendulum
<u> </u>	1.5 2	change over the 1-second observation period?

Climate



How much will the temperature of Gikongoro in 2018 under ssp585 change if the emission of CO2 is decreased by -25%?

PDE

In a 2D population spread process with {{initial condition}} and {{boundary condition}}, what is the population at (x,y)=(59,2) km after 8 years? (D=0.88, Lx=96 km, Ly=8 km)



Epidemiology

{{scenario description}} {{initial states}} On which day will the number of hospitalized cases in California reach its maximum?



Experiment: Answer Accuracy

Models	Mujoco	PDE	DE Climate Epidemiology		MATH	SciBench	Average
Llama3.1-70B	46.79	55.83	37.50	30.83	73.73	45.00	48.28
GPT4o	52.86	69.17	35.83	32.50	81.92	71.67	57.32
GPT4o-mini	51.79	70.83	30.00	35.83	80.79	68.33	56.26
Claude3.5-Sonnet	48.57	65.83	32.50	35.00	80.23	67.50	54.94
Llama3.1-8B (Base)- P_n	28.57	31.09	30.83	21.67	54.24	17.50	30.65
Llama3.1-8B (Base)- P_f	59.32	61.67	77.50	57.78	69.23	31.67	59.53
Llama3.1-8B-Ours- P_n	55.00	75.00	80.00	51.11	61.02	30.83	58.83
Llama3.1-8B-Ours- P_i	64.47	78.33	83.33	74.44	62.15	34.17	66.15

Overall Evaluation



Experiment: Tool Usage Accuracy

	Tool (T)	Not Choosing Tool (N)
Easy (E)	ET	$EN\left(\checkmark ight)$
Hard (H)	$HT(\checkmark)$	HN

Models	Mujoco	PDE	Climate	Epidemiology	MATH	SciBench	Average	
Llama3.1-70B	49.66	50.00	48.67	48.94	55.77	50.93	50.66	Ownell Evaluation
GPT4o	50.30	52.41	48.70	50.57	49.54	50.00	50.25	Overall Evaluation
GPT4o-mini	50.34	52.35	48.81	<u>61.84</u>	55.19	68.36	<u>56.15</u>	
Claude3.5-Sonnet	50.39	51.27	49.38	54.95	51.57	54.37	51.99	$\frac{1}{2} \times \left(\frac{EN}{EN} + \frac{HT}{EN} \right)$
Llama3.1-8B (Base)	51.50	50.00	50.35	50.86	49.52	60.22	52.07	$2 \qquad EN + ET \qquad HN + HT'$
Llama3.1-8B-Ours	61.80	66.67	75.50	66.61	62.46	62.75	65.96	



Problems of different difficulty levels on MATH dataset

Conclusion

We introduce a novel two-stage training paradigm that enables LLMs to adaptively solve real-world scientific problems of varying complexity.

We construct four additional datasets spanning various scientific domains, including both questions and solutions, to facilitate future research in this direction.

Experiments on both custom and public datasets demonstrate the effectiveness of our work, resulting in better answer accuracy and more intelligent tool use.



World Knowledge Distillation



Tool Usage Adaptation



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Thanks!

Paper Link: https://arxiv.org/abs/2411.00412

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